We define a valid bracket sequence as a string that is either:

- The empty string;
- A string (B), where B is a valid bracket sequence.
- LR, the concatenation of two strings L and R which are both valid bracket sequences.

Let B be a valid bracket sequence of length N. We define B_i to be the *i*-th character of sequence B. For two indices *i* and *j*, $1 \leq i < j \leq N$, we say that B_i and B_j are matching brackets if:

- $B_i = ' (' and B_j = ') ';$
- i = j-1, or the subsequence $C = B_{i+1}B_{i+2} \dots B_{j-1}$ is a valid bracket sequence.

Let S be a string of lowercase English letters. We define S_i to be the *i*-th character of string S. We say that a valid bracket sequence B matches S if:

- B has the same length as S;
- for any pair of indices i and j, i < j, if B_i and B_j are matching brackets, then $S_i = S_j$.

For a given string S consisting of N lowercase letters, find the lexicographically smallest valid bracket sequence that matches S, or print -1 if no such bracket sequence exists.

Input format

The input file match.in contains a string S of N lowercase letters on the first line.

Output format

In the output file match.out you should write either a string B with N characters that represents the lexicographically smallest bracket sequence that matches the input string, or -1 if no such bracket sequence exists.

Notes and constraints

- $2 \le N \le 100 000$
- For test cases worth 10 points $N \leq 18$.
- For test cases worth another 27 points $N \leq 2000$.
- We say that a bracket sequence A is lexicographically smaller than a bracket sequence B if there is an index i, $1 \le i \le N$, such that $A_{i} = B_{j}$ for each j < i, and $A_{i} < B_{i}$.
- Character ' (' is considered lexicographically smaller than character ') '.

Example

match.in	match.out	Note
abbaaa	(()))	Another valid bracket sequence is (())(), but this is not the smallest lexicographic solution.
abab	-1	There is no valid bracket sequence that matches the given string.